

Fișă de verificare a îndeplinirii standardelor minimale

Articole

Nr. crt.	Articol, referința bibliografică	Publicat în ultimii 7 ani	s_i	n_i	s_i/n_i
1.	<i>On the number of fuzzy subgroups of finite abelian groups</i> (cu L. Bentea), Fuzzy Sets and Systems, vol. 159 (2008), nr. 9, pag. 1084-1096, doi: 10.1016/j.fss.2007.11.014, MR 2418786 (2009c:20127), ZBL 1171.20043.	X	1.268	2	0.634
2.	<i>Finite groups determined by an inequality of the orders of their subgroups</i> (cu T. De Medts), Bulletin of the Belgian Mathematical Society – Simon Stevin, vol. 15 (2008), nr. 4, pag. 699-704, MR 2475493 (2009j:20033), ZBL 1166.20017.	X	0.524	2	0.262
3.	<i>The number of fuzzy subgroups of finite cyclic groups and Delannoy numbers</i> , European Journal of Combinatorics, vol. 30 (2009), nr. 1, pag. 283-287, doi: 10.1016/j.ejc.2007.12.005, MR 2460233 (2009i:20135), ZBL 1161.20059.	X	1.404	1	1.404
4.	<i>Distributivity in lattices of fuzzy subgroups</i> , Information Sciences, vol. 179 (2009), nr. 8, pag. 1163-1168, doi: 10.1016/j.ins.2008.12.003, MR 2502093, ZBL 1160.20063.	X	1.833	1	1.833
5.	<i>Subgroup commutativity degrees of finite groups</i> , Journal of Algebra, vol. 321 (2009), nr. 9, pag. 2508-2520, doi: 10.1016/j.jalgebra.2009.02.010, MR 2504488, ZBL 1196.20024.	X	1.204	1	1.204
6.	<i>A characterization of generalized quaternion 2-groups</i> , Comptes Rendus Mathématique, vol. 348 (2010), nr. 13-14, pag. 731-733, doi: 10.1016/j.crma.2010.06.016, MR 2671150, ZBL 1205.20024.	X	0.822	1	0.822
7.	<i>Pseudocomplementation in (normal) subgroup lattices</i> (cu T. De Medts), Communications in Algebra, vol. 39 (2011), nr. 1, pag. 247-262, doi: 10.1080/00927870903527493, MR 2770893, ZBL 1218.20014.	X	0.667	2	0.333
8.	<i>Addendum to “Subgroup commutativity degrees of finite groups”</i> , Journal of Algebra, vol. 337 (2011), nr. 1, pag. 363-368, doi: 10.1016/j.jalgebra.2011.05.001, MR 2796081, ZBL 1233.20023.	X	1.204	1	1.204
9.	<i>Solitary quotients of finite groups</i> , Central European Journal of Mathematics, vol. 10 (2012), nr. 2, pag. 740-747, doi: 10.2478/s11533-012-0003-0, MR 2886569, ZBL 1257.20024.	X	0.656	1	0.656
10.	<i>Finite groups determined by an inequality of the orders of their elements</i> , Publicationes Mathematicae Debrecen, vol. 80 (2012), nr. 3-4, pag. 457-463, doi: 10.5486/PMD.2012.5168, MR 2943017, ZBL 06083245.	X	0.504	1	0.504
11.	<i>A generalization of Menon’s identity</i> , Journal of Number Theory, vol. 132 (2012), nr. 11, pag. 2568-2573, doi: 10.1016/j.jnt.2012.05.012, MR 2954990, ZBL 06084779.	X	1.040	1	1.040
12.	<i>A characterization of elementary abelian 2-groups</i> , Archiv der Mathematik, vol. 102 (2014), nr. 1, pag. 11-14, MR 3154153, ZBL 06289390.	X	0.818	1	0.818
13.	<i>The normal subgroup structure of ZM-groups</i> , Annali di Matematica Pura ed Applicata, vol. 193 (2014), nr. 4, pag. 1085-1088, MR 3237917.	X	1.511	1	1.511
14.	<i>Finite groups with a certain number of cyclic subgroups</i> , acceptat pentru publicare în American Mathematical Monthly.	X	0.720	1	0.720
15.	<i>On finite groups with dismantlable subgroup lattices</i> , acceptat pentru publicare în Canadian Mathematical Bulletin.	X	0.727	1	0.727
Total :	I = 13.672				
	I_{recent} = 13.672				

Citări

Nr. crt.	Articolul citat	Revista și articolul în care a fost citat	<i>s_i</i>
1.	<i>Groups determined by posets of subgroups</i> , Editura Matrix Rom, București, 2006, ISBN (10) 973-755-122-2, ISBN (13) 978-973-755-122-1, MR 2289781 (2007j:20036), ZBL 1123.20001.	1.1. Y. Chen, G. Chen, <i>A note on a generalization of generalized quaternion 2-groups</i> , Comptes Rendus Mathématique, vol. 3 (2014), nr. 6, pag. 459-461.	0.822
2.	<i>A new method of proving some classical theorems of abelian groups</i> , Southeast Asian Bulletin of Mathematics, vol. 31 (2007), nr. 6, pag. 1191-1203, MR 2386997 (2009a:20090), ZBL 1145.20313.	2.1. W.G. Nowak, L. Tóth, <i>On the average number of subgroups of the group $Z_m \times Z_n$</i> , International Journal of Number Theory, vol. 10 (2014), pag. 363-374.	0.787
3.	<i>On the number of fuzzy subgroups of finite abelian groups</i> (cu L. Bentea), Fuzzy Sets and Systems, vol. 159 (2008), nr. 9, pag. 1084-1096, doi: 10.1016/j.fss.2007.11.014, MR 2418786 (2009c:20127), ZBL 1171.20043.	3.1. J.M. Oh, <i>The number of chains of subgroups of a finite cyclic group</i> , European Journal of Combinatorics, vol. 33 (2012), nr. 2, pag. 259-266.	1.404
4.	<i>Finite groups determined by an inequality of the orders of their subgroups</i> (cu T. De Medts), Bulletin of the Belgian Mathematical Society – Simon Stevin, vol. 15 (2008), nr. 4, pag. 699-704, MR 2475493 (2009j:20033), ZBL 1166.20017.	4.1. T. De Medts, A. Maróti, <i>Perfect numbers and finite groups</i> , Rendiconti del Seminario Matematico della Università di Padova, vol. 129 (2013), pag. 17-33.	0.634
		4.2. S.J. Baishya, A.K. Das, <i>Harmonic numbers and finite groups</i> , Rendiconti del Seminario Matematico della Università di Padova, in print, 2014.	0.634
		4.3. S.J. Baishya, <i>Revisiting the Leinster groups</i> , Comptes Rendus Mathématique, vol. 352 (2014), nr. 1, pag. 1-6.	0.822
5.	<i>The number of fuzzy subgroups of finite cyclic groups and Delannoy numbers</i> , European Journal of Combinatorics, vol. 30 (2009), nr. 1, pag. 283-287, doi: 10.1016/j.ejc.2007.12.005, MR 2460233 (2009i:20135), ZBL 1161.20059.	5.1. B.B. Makamba, V. Murali, <i>Preferential normal fuzzy subgroups</i> , Information Sciences, vol. 180 (2010), nr. 24, pag. 5125-5129.	1.833
		5.2. J.S. Caughman, C.L. Dunn, N.A. Neudauer, C.L. Starr, <i>Counting lattice chains and Delannoy paths in higher dimensions</i> , Discrete Mathematics, vol. 311 (2011), nr. 16, pag. 1803-1812.	0.859
		5.3. J.M. Oh, <i>The number of chains of subgroups of a finite cyclic group</i> , European Journal of Combinatorics, vol. 33 (2012), nr. 2, pag. 259-266.	1.404
		5.4. J. Recasens, <i>Permutable indistinguishability operators, perfect fuzzy groups and fuzzy subgroups</i> , Information Sciences, vol. 19 (2012), pag. 129-142.	1.833
6.	<i>Distributivity in lattices of fuzzy subgroups</i> , Information Sciences, vol. 179 (2009), nr. 8, pag. 1163-1168, doi: 10.1016/j.ins.2008.12.003, MR 2502093, ZBL 1160.20063.	6.1. B. Davvaz, M. Fathi, A.R. Salleh, <i>Fuzzy hyperrings (Hv-rings) based on fuzzy universal sets</i> , Information Sciences, vol. 180 (2010), nr. 16, pag. 3021-3032.	1.833
		6.2. B.B. Makamba, V. Murali, <i>Preferential normal fuzzy subgroups</i> , Information Sciences, vol. 180 (2010), nr. 24, pag. 5125-5129.	1.833
		6.3. Ath. Kehagias, <i>Some remarks on the lattice of fuzzy intervals</i> , Information Sciences, vol. 181 (2011), nr. 10, pag. 1863-1873.	1.833
		6.4. J. Recasens, <i>Permutable indistinguishability operators, perfect fuzzy groups and fuzzy subgroups</i> , Information Sciences, vol. 19 (2012), pag. 129-142.	1.833

7.	<i>Subgroup commutativity degrees of finite groups</i> , Journal of Algebra, vol. 321 (2009), nr. 9, pag. 2508-2520, doi: 10.1016/j.jalgebra.2009.02.010, MR 2504488, ZBL 1196.20024.	7.1. F. Saeedi, M. Farrokhi D.G., <i>Factorization numbers of some finite groups</i> , Glasgow Mathematical Journal, vol. 54 (2012), nr. 2, pag. 345-354.	0.646
		7.2. D.E. Otera, F.G. Russo, <i>Subgroup S-commutativity degree of finite groups</i> , Bulletin of the Belgian Mathematical Society – Simon Stevin, vol. 19 (2012), pag. 373-382.	0.524
		7.3. F. Saeedi, M. Farrokhi D.G., <i>Subgroup permutability degree of $PSL(2, p^n)$</i> , Glasgow Mathematical Journal, vol. 55 (2013), nr. 3, pag. 581-590.	0.646
		7.4. S. Aivazidis, <i>The subgroup permutability degree of projective special linear groups over fields of even characteristic</i> , Journal of Group Theory, vol. 16 (2013), nr. 3, pag. 383-396.	0.925
		7.5. S. Aivazidis, <i>On the subgroup permutability degree of the simple Suzuki groups</i> , Monatshefte für Mathematik, in print, 2014.	1.000
8.	<i>A characterization of generalized quaternion 2-groups</i> , Comptes Rendus Mathématique, vol. 348 (2010), nr. 13-14, pag. 731-733, doi: 10.1016/j.crma.2010.06.016, MR 2671150, ZBL 1205.20024.	8.1. Y. Chen, G. Chen, <i>A note on a generalization of generalized quaternion 2-groups</i> , Comptes Rendus Mathématique, vol. 3 (2014), nr. 6, pag. 459-461.	0.822
9.	<i>An arithmetic method of counting the subgroups of a finite abelian group</i> , Bulletin Mathématique de la Société des Sciences Mathématiques de Roumanie (N.S.), tom 53/101 (2010), nr. 4, pag. 373-386, MR 2777681, ZBL 1231.20051.	9.1. D.E. Otera, F.G. Russo, <i>Subgroup S-commutativity degree of finite groups</i> , Bulletin of the Belgian Mathematical Society – Simon Stevin, vol. 19 (2012), pag. 373-382.	0.524
		9.2. J. Bourgain, E. Fuchs, <i>On representation of integers by binary quadratic forms</i> , International Mathematics Reserch Notices, vol.2012, nr. 24, pag. 5505-5553.	2.662
		9.3. W.G. Nowak, L. Tóth, <i>On the average number of subgroups of the group $Z_m \times Z_n$</i> , International Journal of Number Theory, vol. 10 (2014), pag. 363-374.	0.787
10.	<i>Addendum to “Subgroup commutativity degrees of finite groups”</i> , Journal of Algebra, vol. 337 (2011), nr. 1, pag. 363-368, doi: 10.1016/j.jalgebra.2011.05.001, MR 2796081, ZBL 1233.20023.	10.1. F. Saeedi, M. Farrokhi D.G., <i>Subgroup permutability degree of $PSL(2, p^n)$</i> , Glasgow Mathematical Journal, vol. 55 (2013), nr. 3, pag. 581-590.	0.646
		10.2. S. Aivazidis, <i>The subgroup permutability degree of projective special linear groups over fields of even characteristic</i> , Journal of Group Theory, vol. 16 (2013), nr. 3, pag. 383-396.	0.925
		10.3. S. Aivazidis, <i>On the subgroup permutability degree of the simple Suzuki groups</i> , Monatshefte für Mathematik, in print, 2014.	1.000
11.	<i>Finite groups determined by an inequality of the orders of their normal subgroups</i> , Analele Științifice ale Universității "Al. I. Cuza" Iași, tom LVII (2011), seria Matematică, fasc. 2, pag. 229-238, MR 2933379, ZBL 1240.20035.	11.1. S.J. Baishya, A.K. Das, <i>Harmonic numbers and finite groups</i> , Rendiconti del Seminario Matematico della Università di Padova, in print, 2014.	0.634
		11.2. S.J. Baishya, <i>Revisiting the Leinster groups</i> , Comptes Rendus Mathématique, vol. 352 (2014), nr. 1, pag. 1-6.	0.822
12.	<i>A generalization of Menon's identity</i> , Journal of Number Theory, vol. 132 (2012), nr. 11, pag. 2568-2573, doi: 10.1016/j.jnt.2012.05.012, MR 2954990, ZBL 06084779.	12.1. C. Miguel, <i>Menon's identity in residually finite Dedekind domains</i> , Journal of Number Theory, vol. 137 (2014), pag. 179-185.	1.040
Total :		C = 29	

Legenda:

- s_i = scorul relativ de influență pe 2013 al revistei științifice în care a fost publicat articolul i ;
- n_i = numărul de autori ai articolului i .

Conf. dr. Marius Tărnăuceanu

Fișă de verificare a îndeplinirii standardelor minimale

Articole

Nr. crt.	Articol, referința bibliografică	Publicat în ultimii 7 ani	f_i	n_i	f_i/n_i
1.	<i>On isomorphisms of canonical E-lattices</i> , Fixed Point Theory, vol. 8 (2007), nr. 1, pag. 131-139, MR 2309287 (2008a:08001), ZBL 1123.06004.		0.951	1	0.951
2.	<i>On the number of fuzzy subgroups of finite abelian groups</i> (cu L. Bentea), Fuzzy Sets and Systems, vol. 159 (2008), nr. 9, pag. 1084-1096, doi: 10.1016/j.fss.2007.11.014, MR 2418786 (2009c:20127), ZBL 1171.20043.	X	1.880	2	0.940
3.	<i>An E-lattice structure associated to some classes of finite groups</i> , Fixed Point Theory, vol. 9 (2008), nr. 2, pag. 575-583, MR 2464137 (2009j:06011), ZBL 1176.06008.	X	0.951	1	0.951
4.	<i>The number of fuzzy subgroups of finite cyclic groups and Delannoy numbers</i> , European Journal of Combinatorics, vol. 30 (2009), nr. 1, pag. 283-287, doi: 10.1016/j.ejc.2007.12.005, MR 2460233 (2009i:20135), ZBL 1161.20059.	X	0.612	1	0.612
5.	<i>Distributivity in lattices of fuzzy subgroups</i> , Information Sciences, vol. 179 (2009), nr. 8, pag. 1163-1168, doi: 10.1016/j.ins.2008.12.003, MR 2502093, ZBL 1160.20063.	X	3.893	1	3.893
6.	<i>Subgroup commutativity degrees of finite groups</i> , Journal of Algebra, vol. 321 (2009), nr. 9, pag. 2508-2520, doi: 10.1016/j.jalgebra.2009.02.010, MR 2504488, ZBL 1196.20024.	X	0.604	1	0.604
7.	<i>Counting maximal chains of subgroups of finite nilpotent groups</i> (cu M. Ștefănescu), Carpathian Journal of Mathematics, vol. 25 (2009), nr. 1, pag. 119-127, MR 2523045, ZBL 1178.20016.	X	0.642	2	0.321
8.	<i>Addendum to “Subgroup commutativity degrees of finite groups”</i> , Journal of Algebra, vol. 337 (2011), nr. 1, pag. 363-368, doi: 10.1016/j.jalgebra.2011.05.001, MR 2796081, ZBL 1233.20023.	X	0.604	1	0.604
9.	<i>Solitary quotients of finite groups</i> , Central European Journal of Mathematics, vol. 10 (2012), nr. 2, pag. 740-747, doi: 10.2478/s11533-012-0003-0, MR 2886569, ZBL 1257.20024.	X	0.519	1	0.519
10.	<i>Finite groups determined by an inequality of the orders of their elements</i> , Publicationes Mathematicae Debrecen, vol. 80 (2012), nr. 3-4, pag. 457-463, doi: 10.5486/PMD.2012.5168, MR 2943017, ZBL 06083245.	X	0.519	1	0.519
11.	<i>A generalization of Menon’s identity</i> , Journal of Number Theory, vol. 132 (2012), nr. 11, pag. 2568-2573, doi: 10.1016/j.jnt.2012.05.012, MR 2954990, ZBL 06084779.	X	0.524	1	0.524
12.	<i>A note on the lattice of fuzzy subgroups of a finite group</i> , Journal of Multiple-Valued Logic and Soft Computing, vol. 19 (2012), nr. 5-6, pag. 537-545, MR 3012373.	X	0.667	1	0.667
13.	<i>On the number of fuzzy subgroups of finite symmetric groups</i> , Journal of Multiple-Valued Logic and Soft Computing, vol. 21 (2013), nr. 1-2, pag. 201-213, MR 3113673.	X	0.667	1	0.667
14.	<i>A note on the product of element orders of finite abelian groups</i> , Bulletin of the Malaysian Mathematical Sciences Society, vol. 36 (2013), nr. 4, pag. 1123-1126, MR 3108800, ZBL 1280.20058.	X	0.854	1	0.854
15.	<i>The normal subgroup structure of ZM-groups</i> , Annali di Matematica Pura ed Applicata, vol. 193 (2014), nr. 4, pag. 1085-1088, MR 3237917.	X	0.909	1	0.909
16.	<i>On the converse of Fuzzy Lagrange’s Theorem</i> , Journal of Intelligent & Fuzzy Systems, vol. 27 (2014), nr. 3, pag. 1487-1490.	X	0.936	1	0.936
17.	<i>The posets of classes of isomorphic subgroups of finite groups</i> , acceptat pentru publicare în Bulletin of the Malaysian Mathematical Sciences Society.	X	0.854	1	0.854

Total :	I = 15.325
	I_{recent} = 14.374

Citări

Nr. crt.	Articolul citat	Revista și articolul în care a fost citat	<i>f_i</i>
1.	<i>On the number of fuzzy subgroups of finite abelian groups</i> (cu L. Bentea), Fuzzy Sets and Systems, vol. 159 (2008), nr. 9, pag. 1084-1096, doi: 10.1016/j.fss.2007.11.014, MR 2418786 (2009c:20127), ZBL 1171.20043.	1.1. J.M. Oh, <i>The number of chains of subgroups of a finite cyclic group</i> , European Journal of Combinatorics, vol. 33 (2012), nr. 2, pag. 259-266.	0.612
		1.2. J.M. Oh, Y. Kim, K.W. Hwang, <i>The number of chains of subgroups in the lattice of subgroups of the dicyclic group</i> , Discrete Dynamics in Nature and Society, vol. 2012, article ID 760246, doi:10.1155/2012/760246.	0.882
		1.3. B. Davvaz, R.K. Ardekani, <i>Classifying fuzzy subgroups of dicyclic groups</i> , Journal of Multiple-Valued Logic and Soft Computing, vol. 20 (2013), nr. 5-6, pag. 507-525.	0.667
		1.4. B. Davvaz, R.K. Ardekani, <i>Counting fuzzy subgroups of non-abelian groups of order p^3 and 2^4</i> , Journal of Multiple-Valued Logic and Soft Computing, vol. 21 (2013), nr. 5-6, pag. 479-492.	0.667
2.	<i>The number of fuzzy subgroups of finite cyclic groups and Delannoy numbers</i> , European Journal of Combinatorics, vol. 30 (2009), nr. 1, pag. 283-287, doi: 10.1016/j.ejc.2007.12.005, MR 2460233 (2009i:20135), ZBL 1161.20059.	2.1. B.B. Makamba, V. Murali, <i>Preferential normal fuzzy subgroups</i> , Information Sciences, vol. 180 (2010), nr. 24, pag. 5125-5129.	3.893
		2.2. J.S. Caughman, C.L. Dunn, N.A. Neudauer, C.L. Starr, <i>Counting lattice chains and Delannoy paths in higher dimensions</i> , Discrete Mathematics, vol. 311 (2011), nr. 16, pag. 1803-1812.	0.566
		2.3. J.M. Oh, <i>The number of chains of subgroups of a finite cyclic group</i> , European Journal of Combinatorics, vol. 33 (2012), nr. 2, pag. 259-266.	0.612
		2.4. J. Recasens, <i>Permutable indistinguishability operators, perfect fuzzy groups and fuzzy subgroups</i> , Information Sciences, vol. 19 (2012), pag. 129-142.	3.893
		2.5. B. Davvaz, R.K. Ardekani, <i>Classifying fuzzy subgroups of dicyclic groups</i> , Journal of Multiple-Valued Logic and Soft Computing, vol. 20 (2013), nr. 5-6, pag. 507-525.	0.667
		2.6. B. Davvaz, R.K. Ardekani, <i>Counting fuzzy subgroups of non-abelian groups of order p^3 and 2^4</i> , Journal of Multiple-Valued Logic and Soft Computing, vol. 21 (2013), nr. 5-6, pag. 479-492.	0.667
3.	<i>Distributivity in lattices of fuzzy subgroups</i> , Information Sciences, vol. 179 (2009), nr. 8, pag. 1163-1168, doi: 10.1016/j.ins.2008.12.003, MR 2502093, ZBL 1160.20063.	3.1. B. Davvaz, M. Fathi, A.R. Salleh, <i>Fuzzy hyperrings (Hv-rings) based on fuzzy universal sets</i> , Information Sciences, vol. 180 (2010), nr. 16, pag. 3021-3032.	3.893
		3.2. B.B. Makamba, V. Murali, <i>Preferential normal fuzzy subgroups</i> , Information Sciences, vol. 180 (2010), nr. 24, pag. 5125-5129.	3.893
		3.3. Ath. Kehagias, <i>Some remarks on the lattice of fuzzy intervals</i> , Information Sciences, vol. 181 (2011), nr. 10, pag. 1863-1873.	3.893
		3.4. J. Recasens, <i>Permutable indistinguishability operators, perfect fuzzy groups and fuzzy subgroups</i> , Information Sciences, vol. 19 (2012), pag. 129-142.	3.893

		3.5. D. Bayrak, S. Yamak, <i>The lattice of generalized normal L-subgroups</i> , Journal of Intelligent & Fuzzy Systems, vol. 27 (2014), nr. 3, pag. 1143-1152.	0.936
4.	<i>Subgroup commutativity degrees of finite groups</i> , Journal of Algebra, vol. 321 (2009), nr. 9, pag. 2508-2520, doi: 10.1016/j.jalgebra.2009.02.010, MR 2504488, ZBL 1196.20024.	4.1. S. Aivazidis, <i>On the subgroup permutability degree of the simple Suzuki groups</i> , Monatshefte für Mathematik, in print, 2014.	0.638
5.	<i>An arithmetic method of counting the subgroups of a finite abelian group</i> , Bulletin Mathématique de la Société des Sciences Mathématiques de Roumanie (N.S.), tom 53/101 (2010), nr. 4, pag. 373-386, MR 2777681, ZBL 1231.20051.	5.1. J. Bourgain, E. Fuchs, <i>On representation of integers by binary quadratic forms</i> , International Mathematics Reserch Notices, vol.2012, nr. 24, pag. 5505-5553.	1.067
6.	<i>Addendum to "Subgroup commutativity degrees of finite groups"</i> , Journal of Algebra, vol. 337 (2011), nr. 1, pag. 363-368, doi: 10.1016/j.jalgebra.2011.05.001, MR 2796081, ZBL 1233.20023.	6.1. S. Aivazidis, <i>On the subgroup permutability degree of the simple Suzuki groups</i> , Monatshefte für Mathematik, in print, 2014.	0.638
7.	<i>Classifying fuzzy subgroups of finite nonabelian groups</i> , Iranian Journal of Fuzzy Systems, vol. 9 (2012), nr. 4, pag. 33-43, MR 3112759, ZBL 1260.20092.	7.1. B. Davvaz, R.K. Ardekani, <i>Classifying fuzzy subgroups of dicyclic groups</i> , Journal of Multiple-Valued Logic and Soft Computing, vol. 20 (2013), nr. 5-6, pag. 507-525.	0.667
		7.2. B. Davvaz, R.K. Ardekani, <i>Counting fuzzy subgroups of non-abelian groups of order p^3 and 2^4</i> , Journal of Multiple-Valued Logic and Soft Computing, vol. 21 (2013), nr. 5-6, pag. 479-492.	0.667
8.	<i>A generalization of Menon's identity</i> , Journal of Number Theory, vol. 132 (2012), nr. 11, pag. 2568-2573, doi: 10.1016/j.jnt.2012.05.012, MR 2954990, ZBL 06084779.	8.1. C. Miguel, <i>Menon's identity in residually finite Dedekind domains</i> , Journal of Number Theory, vol. 137 (2014), pag. 179-185.	0.524
9.	<i>A note on the product of element orders of finite abelian groups</i> , Bulletin of the Malaysian Mathematical Sciences Society, vol. 36 (2013), nr. 4, pag. 1123-1126, MR 3108800, ZBL 1280.20058.	9.1. A. Erfanian, F.M.A. Manaf, F.G. Russo, N.H. Sarmin, <i>On the exterior degree of the wreath product of finite abelian groups</i> , Bulletin of the Malaysian Mathematical Sciences Society, vol. 37 (2014), nr. 1, pag 25-36.	0.854
Total :		C = 22	

Legenda:

- f_i = factorul de impact pe 2013 al revistei științifice în care a fost publicat articolul i ;
- n_i = numărul de autori ai articolului i .

Conf. dr. Marius Tărnăuceanu