

Exercise. (Matlab visualization of a circle event)

Given points: $p_1(0,0)$, $p_2(\sqrt{3}+2,1)$, $p_3(1,-\sqrt{3})$

Sweep line: $y=a=-2$

For the given data, the equation of the circle is: $(x-2)^2+y^2=4$

The equation for a general parabola $Beta_i$ involved in the Fortune algorithm:

$$y=(a+y_i)/2+(x-x_i)^2/(2*(y_i-a))$$

In our case we have:

$$\% \text{ Beta1: } y=-1+x^2/4$$

$$\% \text{ Beta2: } y=-1/2+(x-2-\sqrt{3})^2/6$$

$$\% \text{ Beta3: } y=(-\sqrt{3}-2)/2+(x-1)^2/(2*(2-\sqrt{3}))$$

Let us find the intersection points:

$$\% \quad \rightarrow \text{Beta1 \& Beta2} \Rightarrow x_2=2 \text{ si } x_1=-16.92$$

Use for example:

$$\% \text{solve('x^2/4-1/2-(x-2-sqrt(3))^2/6=0')}$$

$$\rightarrow \text{Beta2 \& Beta3} \Rightarrow x_2=2 \text{ and } x_3=-0.53$$

$$\rightarrow \text{Beta1 \& Beta3} \Rightarrow x_2=2 \text{ and } x_4=0.3$$

And now the Matlab program:

```
hold on
x=2:0.1:4;
x2=2+sqrt(3);
y2=1
yy=(a+y2)/2+((x-x2).^2)/(2*(y2-a));
plot(x,yy,'g')
hold on
x=0.3:0.1:2;
x3=1;
y3=-sqrt(3)
yyy=(a+y3)/2+((x-x3).^2)/(2*(y3-a));
plot(x,yyy,'m')
%xlim([-18,3])
```

```

t=0:pi/10:2*pi;
x_c=2+2*cos(t);
y_c=2*sin(t);
plot(x_c,y_c,'y')
hold on
plot([-2 4],[-2 -2])
plot(x1,y1,'*')

plot(x2,y2,'*')
plot(x3,y3,'*')
plot(2,0,'og')

```

